Estrategias de Programación y Estructuras de Datos

Idioma: EN

INSTRUCTIONS:

Programming Strategies and Data Structures. June 2025 · 2nd Week

Exercises that require programming must be done in Java, using the course ADTs (the interfaces for these ADTs are attached to this statement).

Cost-calculation exercises require explicitly stating the problem size. If this is not done, the answer will not be evaluated.

All answers must be justified; answers without justification will not be evaluated.

ADT Interfaces

```
CollectionIF
```java
public interface CollectionIF {
public int size();
public boolean isEmpty();
public boolean contains(E e);
public void clear();
}
SequencelF
 ``iava
public interface SequenceIF extends CollectionIF {
public IteratorIF iterator();
}
ListIF
public interface ListIF extends SequenceIF {
public E get(int pos);
public void set(int pos, E e);
public void insert(int pos, E elem);
public void remove(int pos);
}
StackIF
 ``java
public interface StackIF extends SequenceIF {
public E getTop();
public void push(E elem);
public void pop();
}
QueuelF
 `java
public interface QueuelF extends SequencelF {
public E getFirst();
```

```
public void enqueue(E elem);
public void dequeue();
TreelF
```java
public interface TreelF extends CollectionIF {
public E getRoot();
public boolean isLeaf();
public int getNumChildren();
public int getFanOut();
public int getHeight();
public IteratorIF iterator(Object mode);
GTreeIF
```java
public interface GTreelF extends TreelF {
enum IteratorModes { PREORDER, POSTORDER, BREADTH }
public void setRoot(E e);
public ListIF> getChildren();
public GTreeIF getChild(int pos);
public void addChild(int pos, GTreeIF e);
public void removeChild(int pos);
}
BTreeIF
```java
public interface BTreeIF extends TreeIF {
enum IteratorModes { PREORDER, POSTORDER, BREADTH, INORDER, RLBREADTH }
public BTreeIF getLeftChild();
public BTreeIF getRightChild();
public void setRoot(E e);
public void setLeftChild(BTreelF child);
public void setRightChild(BTreelF child);
public void removeLeftChild();
public void removeRightChild();
BSTreeIF
```java
public interface BSTreelF> extends TreelF {
enum IteratorModes { DIRECTORDER, REVERSEORDER }
enum Order { ASCENDING, DESCENDING }
public BSTree getLeftChild();
public BSTree getRightChild();
public void add(E e);
public void remove(E e);
public Order getOrder();
```

```
Practice question.
It is required to program an operation:
```java
ListIF getTasksBetweenDates(int dI, int dF)
```

that returns the list of tasks to be performed between dates dI and dF, both included, specified by the parameters and stored in the future task scheduler. As a precondition, assume that dI < dF.

- a) (1 point) Implement getTaskBetweenDates(dI, dF) so that it is independent of the structure chosen to implement the task scheduler.
- b) (1 point) Compute the worst-case asymptotic time cost of getTaskBetweenDates(dI, dF).

```
a)
```java
public ListIF<TaskIF> getTasksBetweenDates(int dI, int dF) {
ListIF<TaskIF> result = new List<>();
IteratorIF<TaskIF> it = taskScheduler.iterator();
while (it.hasNext()) {
TaskIF task = it.getNext();
int taskDate = task.getDate();
if (taskDate >= dI && taskDate <= dF) {
result.insert(result.size(), task);
}
}
return result;
}
```
```

b)
The worst-case asymptotic time cost of getTasksBetweenDates(dl, dF) is O(n), where n is the number of tasks stored in the task scheduler.

Analyze the following code fragments and determine their worst-case asymptotic time cost:

```
a) (1.5 points) ```java
int i = 1;
while (i < n) {
System.out.println(i);
i *= 2;
}
b) (1.5 points)
```java
public static int dum(int n) {
if (n == 0) {
return 0;
} else if (n <= 3) {
return 1;
} else {
return dum(n-1) + dum(n-2) + dum(n-3);
}
STUDENT RESPONSE:
 a) O(log n)
 b) O(3^n)
```

Suppose a turn-based game with several players whose number can decrease during the game when someone is eliminated during their turn. Each player performs an action and then passes the turn to the next player, in circular order.

You are asked to program a Data Type that lets us manage the order in which players take their turns. For this, two operations are needed:

- pasarTurno(): advances the turn to the next player.
- eliminar Jugador(): removes the current player from the game.
- a) (0.5 points) Indicate which data structure studied in the course would be the most appropriate, so that the cost of both operations is optimized. Also indicate how the current player can be identified in that structure.
- b) (1.5 points) Implement pasarTurno() and eliminarJugador().

### **STUDENT RESPONSE:**

a) The most appropriate data structure is a circular doubly linked list. The current player can be identified by a reference (pointer) to the current node in the list.

```
```iava
public class TurnManager {
private static class Node {
Player player;
Node next:
Node prev:
Node(Player player) {
this.player = player;
}
private Node current;
private int size;
public void pasarTurno() {
if (current != null) {
current = current.next;
}
}
public void eliminarJugador() {
if (current == null) return;
Node nextPlayer = current.next;
Node prevPlayer = current.prev;
prevPlayer.next = nextPlayer;
nextPlayer.prev = prevPlayer;
if (current == nextPlayer) {
current = null;
} else {
```

```
current = nextPlayer;
}
size--;
}
```

Given the following tree, indicate the sequence of nodes visited by preorder, postorder, and breadth-first traversals (from left to right).

```
/ | \n 2 3 4
/\|
567
```

- Root: 11

```
Explain how each traversal is performed.
STUDENT RESPONSE:
  a) Sequence: 3, 1, 2
  - Initial BST:
  - Root: 3
  - Left child: 1
  - Right child: 2
  - Unbalanced node: 3 (balance factor = -2)
  - Rotation: Right rotation on 1 followed by left rotation on 3 (double rotation)
  - Resulting AVL tree:
  - Root: 2
  - Left child: 1
  - Right child: 3
  b) Sequence: 3, 2, 1
  - Initial BST:
  - Root: 3
  - Left child: 2
  - Left child: 1
  - Unbalanced node: 3 (balance factor = -2)
  - Rotation: Right rotation on 3
  - Resulting AVL tree:
  - Root: 2
  - Left child: 1
  - Right child: 3
  c) Sequence: 7, 15, 10
  - Initial BST:
  - Root: 7
  - Right child: 15
  - Left child: 10
  - Unbalanced node: 7 (balance factor = 2)
  - Rotation: Left rotation on 15 followed by right rotation on 7 (double rotation)
  - Resulting AVL tree:
  - Root: 10
  - Left child: 7
  - Right child: 15
  d) Sequence: 11, 22, 35
  - Initial BST:
```

Right child: 22Right child: 35

- Unbalanced node: 11 (balance factor = 2)

- Rotation: Left rotation on 11

- Resulting AVL tree:

- Root: 22 - Left child: 11 - Right child: 35